

Boosting Multi-Hypothesis Tracking by means of Instance-specific Models

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Applications for Tracking in Crowded Environments

- ▶ Security Applications
 - ▶ Detection of Overcrowded Areas
 - ▶ Forensic Search
 - ▶ Protection of Restricted Areas
- ▶ Data Collection for Marketing Research:
 - ▶ Number of People entering Shopping Centers
⇒ Conversion Rate Computation
 - ▶ Dwell Time in Service Areas
⇒ Customer Satisfaction



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Challenges in Crowded Environments

Challenges for Detector:

- ▶ Inter-Object-Occlusions
- ▶ Cluttered Background

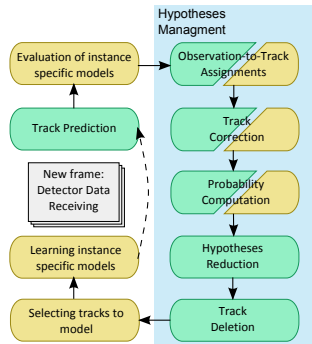
Challenges for Tracking:

- ▶ Track Initialization
- ▶ Manouvering targets

⇒ An effective tracking system should cope with all these challenges.

Tracking System Overview

- ▶ Standard MHT-Algorithm based on Head-Shoulder-Detector
- ▶ Usage of instance-specific appearance models
- ▶ Training of models for reliable objects only
- ▶ Incorporation of model information in MHT probability computation
- ▶ Application of instance-specific model information to guide tracks without detections



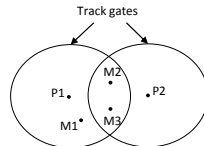
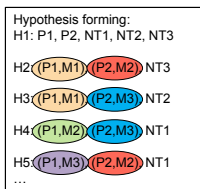
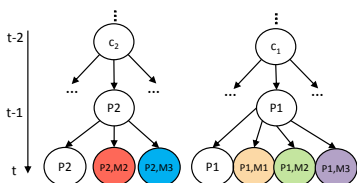
Multi-Hypothesis-Tracking

- ▶ Propagation of multiple Hypotheses from one time-step to the next one for the Task of Associating Observations to Tracks
- ▶ Each prior hypothesis generates a new set of hypotheses considering the current set of observations
- ▶ Individual track j is modelled by Kalman filter with state \hat{x}_j
- ▶ Computation of posterior probability of hypothesis i at time k [Reid1979]:

$$P_i^k = \frac{1}{c} P_D^{N_{DT}} (1 - P_D)^{(N_{TGT} - N_{DT})} \beta_{FT}^{N_{FT}} \beta_{NT}^{N_{NT}} \times \left[\prod_{m=1}^{N_{DT}} \mathcal{N}(Z_m - H\hat{x}_j, S_j) \right] P_i^{k-1}, \quad (1)$$

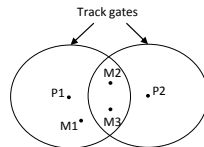
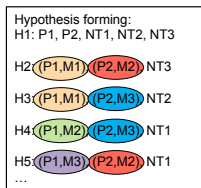
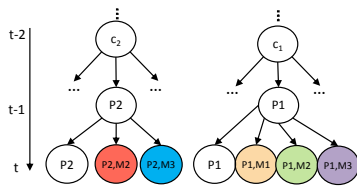
Tree-based MHT Track Management

- ▶ Avoidance of storing redundant data [Blackman1999]
- ▶ Store each track state for a time-step in a particular node
- ▶ Spawn new child nodes for new possible tracks
- ▶ Track history: traverse tree branch from leaf to root
- ▶ Reference of all active tracks with common starting observation into the leaves of one track tree \Rightarrow Garbage Collection by Reference Counting



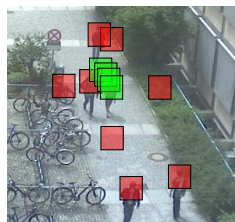
Selecting targets to learn

1. Merge duplicate tracks: $(\hat{x}_k - \hat{x}_j)'[S_j]^{-1}(\hat{x}_k - \hat{x}_j) \leq \sigma$
2. Collect all leaf nodes of all track trees
3. Reduce of number of nodes by replacing each node by its n_{LB} -th parent node
4. Count for each node the number of tracks ϵ that share this node
5. Keep node j if: $\epsilon_j > \frac{\kappa_{max}}{2}$



Learning: Boosting the Instance-specific Model

- ▶ Selection of training data similar to [2, 3]:
 - ▶ Negative samples: background and nearby tracks
 - ▶ Positive samples: history of own track (by ascending track tree)
- ▶ Feature pool \mathbf{h} :
 - ▶ Set of haar-like features
 - ▶ Bins of normalized RGB-histogram
- ▶ Train instance-specific model c by applying AdaBoost to gathered data
- ▶ Store instance-specific model c in corresponding model node (used by all child nodes)



Evaluating the Models

- ▶ Selection of models to evaluate:
 - ▶ All models learned in previous time-step
 - ▶ Each model that exist for the tracks of the most probable hypothesis
- ▶ Evaluation of c at position x : $c(x) = \sum_{t=1}^T \alpha_t h_t(x), h_t \in \mathbf{h}$



Data association aided by the Models

- ▶ Up to now: dependance of Reid's MHT posterior probability on kinematics of measurements
- ▶ Extension: augmentation of Reid's equation by a term for object appearance similarity by using model c_j :

$$\begin{aligned}
 P_i^k &= \frac{1}{c} P_D^{N_{DT}} (1 - P_D)^{(N_{TGT} - N_{DT})} \beta_{FT}^{N_{FT}} \beta_{NT}^{N_{NT}} \\
 &\times \left[\prod_{m=1}^{N_{DT}} \rho \mathcal{N}(z_m - H\hat{x}_j, S_j) + (1 - \rho) \frac{c_j(z_m)}{\tau_{max}} \right] \\
 &\times P_i^{k-1}, \tag{2}
 \end{aligned}$$

- ▶ Normalization constant: τ_{max}
- ▶ Parameter for influence of kinematics or appearance: ρ

Unassigned Track Guiding

- ▶ Guiding of tracks by appearance in case of missing detector observations
- ▶ Minimal bounding box Ω including all child nodes of particular model c_j
- ▶ Probability map $P_{c_j} = c_j(x) : \forall x \in \Omega$
- ▶ Computation of potential object positions $Z^j = \{z_1^j, z_2^j, \dots, z_k^j\}$ by Mean-shift for P_{c_j}
- ▶ Usage of measurements Z^j for each unassigned Kalman filter which shares model c_j
- ▶ Handling of measurement origin uncertainty by PDAF [1]

State Estimation by PDA-Filtering

- ▶ Computation of association probability β_i^j for z_i^j using:

- ▶ Likelihood Ratio: $\mathcal{L}_i = \frac{\mathcal{N}(z_i^j - H\hat{x}, P(k|k-1))P_D}{\lambda} \frac{c_j(z_i^j)}{\tau_{max}}$

- ▶ Normalized Confidence in instance-specific model $c_j: \frac{c_j(z_i^j)}{\tau_{max}}$

- ▶ State Estimation:

$$\hat{x}(k|k) = \hat{x}(k|k-1) + W(k) \sum_{i=1}^m \beta_i^j(k) (z_i^j - H\hat{x}(k|k-1))$$

- ▶ Kalman Gain: $W(k)$

- ▶ Updated Covariance:

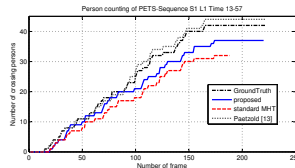
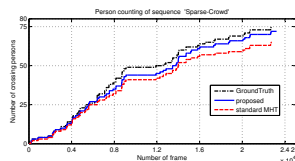
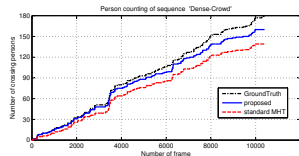
$$S(k|k) = \beta_0^j S(k|k-1) + (1 - \beta_0^j) S^c(k|k) + \tilde{S}(k)$$

- ▶ Standard Kalman error covariance: $S^c(k)$

- ▶ Measurement origin uncertainty: $\tilde{S}(k)$

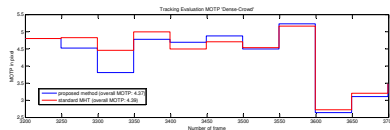
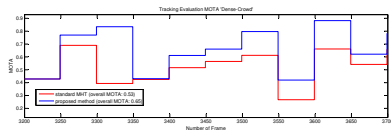
Application: Person Counting:

- ▶ Standard application
- ▶ Counting of tracks crossing a fictive line
- ▶ Datasets: TU-Dataset, PETS
 - ▶ TUB-Dataset Sparse Crowd
 - ▶ TUB-Dataset Dense Crowd
 - ▶ PETS 2010: S1 L1 Time 13-57
- ▶ Outperforms standard MHT



Tracking performance evaluation:

- ▶ Evaluation by CLEAR MOT metrics:
 - ▶ Object Configuration Error: MOTA
 - ▶ Average total Position Error: MOTP
 - ▶ Computation of measures for batches of 50 frames
- ▶ Dataset: most challenging part of the 'dense crowd'-sequence of TU-Dataset (passing 29 people)



Conclusions

- ▶ MHT-based tracking system with initialization of objects in crowded environment
- ▶ Reliable method for choosing objects for appearance model learning
- ▶ Efficient evaluation of trained models for different hypotheses
- ▶ Integration of instance-specific information into MHT-framework
- ▶ Guiding of tracks without detections by appearance model information

Literature



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